LOK JAGRUTI UNIVERSITY (LJU)

INSTITUTE OF ENGINEERING & TECHNOLOGY

Department of Mechanical Engineering (710)

Bachelor of Engineering (B.E.) – Semester – II

| Course Code: | 017101291 |
|-----------------------------|-----------------------------|
| Course Name: | Mathematics - II |
| Category of Course: | Basic Science Course (BSC) |
| Prerequisite Course: | Mathematics - I (017101191) |

| | Teacl | ning Scher | ne | |
|----------------|-----------------|---------------|--------|----------------|
| Lecture (L) | Tutorial (T) | Practical (P) | Credit | Total Hours |
| 3 | 2 | 0 | 5 | 50 |

| | | Syllabus | | |
|-------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------------------------------------------------------|------------------------------------------------------------|-------------------|
| Unit No. | Topic | Prerequisite Topic | Successive Topic | Teaching Hours |
| 01 | 1.1 Elementary row operations of matrices 1.2 Row and reduced row echelon form 1.3 System of linear equations 1.4 Homogeneous system of linear equations 1.5 Non-homogeneous system of linear equations 1.6 Inverse of Matrix (Using Gauss Jordan Method) 1.7 Eigen values & vectors 1.8 Diagonalization of matrix (Only for Non symmetric Matrix) 1.9 Cayley-Hamilton theorem | | Linear Programming Problems (017107701-Unit-2) | 7 (14%) |
| 02 | Fourier Series 2.1 Periodic function 2.2 Dirichlet's condition 2.3 Trigonometric series of sine and cosine function 2.4 Fourier series of a function of period 2L 2.5 Fourier series of even and odd function 2.6 Half range expansions | Basic Differentiation and Integration (017101191- Unit-3) | | 5 (10%) |
| 03 | Fourier Integral and Fourier Transform 3.1 Define Fourier integral 3.2 Cosine and sine integral 3.3 Define Fourier transform 3.4 Cosine and sine transform | Fourier series of a function (017101291-Unit-3) | | 3 (6%) |
| 04 | Power Series 4.1 Classification of singularities 4.2 Series solution near ordinary points 4.3 Series solution near regular singular points (Frobenius method) | | | 4 (8%) |
| 05 | Laplace Transform 5.1 Laplace transform of elementary functions 5.2 Differentiation of Laplace transform 5.3 Integration of Laplace transform 5.4 Laplace transform of derivatives 5.5 Laplace transform of integrals 5.6 Unit step function and Dirac's delta function 5.7 Inverse Laplace transform 5.8 Convolution theorem (Without Proof) | Basic Differentiation and Integration (07101191-Unit-3) | | 8 (16%) |
| 06 | Application of Laplace Transform 6.1 Solution of linear ordinary differential equation 6.2 Solution of simultaneous equations (Ordinary Differential Equation) | Laplace Transform (017101291-Unit-5) | | 2 (4%) |
| 07 | Vector Differentiation 7.1 Parametrization of curves 7.2 Orientation of parametric curve 7.3 Arc length of curve in space 7.4 Curvature and surfaces 7.5 Gradient of a scalar point function and surface normal vector 7.6 Directional derivatives 7.7 Divergence of vector field | Basic Differentiation and Integration (017101191-Unit-3) | Motion of Fluid Particles and Streams (017103491 – Unit-9) | 5 (10%) |

| | 7.8 Curl of vector field and scalar potential of conservative field | | |
|----|---------------------------------------------------------------------|---------------------------------------------------------|----------------|
| | Vector Integral-I | | |
| 08 | 8.1 Line integral (Work Done) | Basic integration (017101191-Unit-3), Multiple Integral | 5 (10%) |
| | 8.2 Green's theorem in the plane (without proof) | (017101191-Unit-8) | |
| | Vector Integral-II | | |
| 09 | 9.1 Surface integral | | 6 |
| 0) | 9.2 Gauss divergence theorem (without proof) | Multiple Integral | (12%) |
| | 9.3 Stoke's theorem (without proof) | (017101191-Unit-8) | |
| | 9.4 Volume integral | | |
| | Basic Probability and Statistics | | |
| | 10.1 Mathematical definition of probability | | |
| 10 | 10.2 Axiomatic approach of probability | | 5 |
| 10 | 10.3 Addition law of probability | | (10%) |
| | 10.4 Conditional of probability (Baye's theorem) | | , , |
| | 10.5 Mathematical expectation | | |
| | 10.6 Basic introduction of statistics: Central tendency | | |

| | _ | • | ractical Evaluation Scheme by Acad tegory Wise and it's Marks Distribu | | |
|--------------------------------|---------------------------------------|----------------------------|---------------------------------------------------------------------------|-------------|-----------------|
| L: | 3 | T: | 2 | P: | 0 |
| Note: In Theory Gro | up, Total 4 Test (T1 | +T2+T3+7 | Γ4) will be conducted for each subject | et. | |
| Each Test will be of 2 | 25 Marks. | | | | |
| Each Test Syllabus V | Veightage: Range sh | ould be 20 |)% - 30% | | |
| Group (Theory or Practical) | Group (Theory or Practical) Credit | Total Subject Credit | Category | % Weightage | Marks Weightage |
| Theory | | | MCQ | 15% | 15 |
| Theory | 5 | | Theory Descriptive | 0% | 0 |
| Theory | 3 | | Formulas and Derivation | 10% | 10 |
| Theory | | | Numerical | 75% | 75 |
| Expected Theory % | 100% | 5 | Calculated Theory % | 100% | 100 |
| Practical | | | Individual Project | 0% | 0 |
| Practical | | | Group Project | 0% | 0 |
| Practical | 0 | | Internal Practical Evaluation (IPE) | 0% | 0 |
| Practical | | | Viva | 0% | 0 |
| Practical | | | Seminar | 0% | 0 |
| Expected Practical % | 0% | | Calculated Practical % | 0% | 0 |
| Overall % | 100% | | | 100% | 100 |

| Course (| Outcome |
|----------|----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| | Upon completion of the course students will be able to |
| 1 | Utilize matrix methods to analyze and solve problems in areas such as structural analysis, electrical circuits, and control systems. Use of Fourier series techniques to solve partial differential equations relevant to heat conduction and wave propagation in engineering systems. |
| 2 | Apply Laplace & Fourier transforms to analyze and design control systems & signal system respectively in mechanical engineering. |
| 3 | Apply power series and vector calculus concepts to analyze and solve engineering problems in diverse fields such as fluid dynamics. |
| 4 | Develop proficiency in the use of Gauss's theorem, and Stokes' theorem for solving practical engineering problems and understand the fundamental concepts of probability, random variables, and probability distributions. |
| Suggeste | d Reference Books |
| 1 | Elementary Linear Algebra, Applications version, Anton and Rorres, Wiley India Edition. |
| 2 | Advanced Engineering Mathematics, Erwin Kreysig, Wiley Publication. |
| 3 | Calculus, Volumes 2, T. M. Apostol, Wiley Eastern |
| 4 | Higher Engineering Mathematics, B.S.Grewal, Khanna Publishers. |
| 5 | Thomas' Calculus, Maurice D. Weir, Joel Hass, Early Transcendentals, 13e, Pearson, 2014 |

| List o | Open-Source Software/Learning website |
|--------|---------------------------------------|
| 1 | https://nptel.ac.in/courses/ |